

# EMC Related Formulae

<b>Log↔Linear Voltage</b>		<b>Term Conversion</b>	
dB $\mu$ V to Volts	$V = 10^{((dBmV - 120)/20)}$	dBm to dB $\mu$ V	$dBmV = 90 + 10 \log(Z) + dBm$
Volts to dB $\mu$ V	$dBmV = 20 \log(V) + 120$	dB $\mu$ V to dBm	$dBm = dBmV - 90 - 10 \log(Z)$
dBV to Volts	$V = 10^{(dBV/20)}$	dB $\mu$ A to dBm	$dBm = dBmA + 10 \log(Z) - 90$
Volts to dBV	$dBV = 20 \log(V)$	dBm to dB $\mu$ A	$dBmA = dBm - 10 \log(Z) + 90$
dBV to dB $\mu$ V	$dBmV = dBV + 120$	dB $\mu$ A to dB $\mu$ V	$dBmV = dBmA + 20 \log(Z)$
dB $\mu$ V to dBV	$dBV = dBmV - 120$	dB $\mu$ V to dB $\mu$ A	$dBmA = dBmV - 20 \log(Z)$
<b>Log↔Linear Power</b>		<b>Volts to Amps &amp; Watts</b>	
dBm to Watts	$W = 10^{((dBm - 30)/10)}$	$A = \frac{V}{Z}$	$W = \frac{V^2}{Z}$
Watts to dBm	$dBm = 10 \log(W) + 30$	<b>Amps to Volts &amp; Watts</b>	
dBW to Watts	$W = 10^{(dBW/10)}$	$V = A * Z$	$W = A^2 * Z$
Watts to dBW	$dBW = 10 \log(W)$	<b>Watts to Volts &amp; Amps</b>	
dBW to dBm	$dBm = dBW + 30$	$V = \sqrt{W * Z}$	$A = \sqrt{\frac{W}{Z}}$
dBm to dBW	$dBW = dBm - 30$	<b>RF related, Field Strength &amp; Power Density</b>	
<b>Log↔Linear Current</b>		<b>dB<math>\mu</math>V/m to V/m</b>	
dB $\mu$ A to uA	$mA = 10^{(dBmA/20)}$	$V/m = 10^{(((dBmV/m) - 120)/20)}$	
uA to dB $\mu$ A	$dBmA = 20 \log(mA)$	<b>V/m to dB<math>\mu</math>V/m</b>	
dB $\mu$ A to A	$A = 10^{(dBmA/20)}$	$dBmV/m = 20 \log(V/m) + 120$	
A to dB $\mu$ A	$dBmA = 20 \log(A)$	<b>dB<math>\mu</math>V/m to dBmW/m<sup>2</sup></b>	
dB $\mu$ A to dB $\mu$ A	$dBmA = dBmA - 120$	$dBmW/m^2 = dBmV/m - 115.8$	
dB $\mu$ A to dB $\mu$ A	$dBmA = dBmA + 120$	<b>dBmW/m<sup>2</sup> to dB<math>\mu</math>V/m</b>	
<b>Log↔Linear Impedance</b>		$dBmV/m = dBmW/m^2 + 115.8$	
dB(ohms) to ohms	$Z = 10^{(dB(ohms)/20)}$	<b>dB<math>\mu</math>V/m to dB<math>\mu</math>A/m</b>	
ohms to dB(ohms)	$dB(ohms) = 20 \log(Z)$	$dBmA/m = dBmV/m - 51.5$	
		<b>dB<math>\mu</math>A/m to dB<math>\mu</math>V/m</b>	
		$dBmV/m = dBmA/m + 51.5$	
		<b>dB<math>\mu</math>A/m to dBpT</b>	
		$dBpT = dBmA/m + 2$	
		<b>dBpT to dB<math>\mu</math>A/m</b>	
		$dBmA/m = dBpT - 2$	
		<b>W/m<sup>2</sup> to V/m</b>	
		$V/m = \sqrt{(W/m^2) * 377}$	
		<b>V/m to W/m<sup>2</sup></b>	
		$W/m^2 = \frac{(V/m)^2}{377}$	
		<b>wound coil Flux Density</b>	
		$mf = \frac{4\pi(turns)(amps)}{20(radius,m)}$	
		<b>uT to A/m</b>	
		$A/m = \frac{mf}{1.25}$	
		<b>A/m to uT</b>	
		$mf = 1.25 * (A/m)$	

## Antenna (Far Field)

Gain, dB to numeric

$$Gain_{numeric} = 10^{(dBi/10)}$$

Gain, numeric to dBi

$$dBi = 10 \log(Gain_{numeric})$$

Gain, dBi to Antenna Factor

$$AF = 20 \log(MHz) - dBi - 29.79$$

Antenna Factor to gain in dBi

$$dBi = 20 \log(MHz) - AF - 29.79$$

Field Strength given Watts, Numeric Gain, Distance in meters

$$V/m = \frac{\sqrt{30 * watts * Gain_{numeric}}}{Meters}$$

Field Strength given Watts, dBi gain, Distance in meters

$$V/m = \frac{\sqrt{30 * watts * 10^{(dBi/10)}}}{Meters}$$

Transmit Power needed, given desired V/m, Antenna numeric gain, Distance in meters.

$$watts = \frac{(V/m * meters)^2}{30 * Gain_{numeric}}$$

Transmit Power needed, given V/m, Antenna dBi gain, Distance in meters

$$watts = \frac{(V/m * meters)^2}{30 * 10^{(dBi/10)}}$$

## Amplitude Modulation

Peak power, given CW power and modulation %. (sine wave AM)

$$W_{peak} = W_{CW} (1 + (Mod\% * 0.01))^2$$

Average power, given CW power level and modulation % (sine wave AM)

$$W_{avg} = \frac{W_{cw} * (2 + (Mod\% * 0.01)^2)}{2}$$

Average power, given peak power and modulation %

$$W_{avg} = \frac{W_{peak} * (2 + (Mod\% * 0.01)^2)}{2 * (1 + (Mod\% * 0.01))^2}$$

## Current Probe

dB(ohm) to Zt (transfer impedance)

$$Z_t = 10^{(dB(ohm)/20)}$$

Zt to dB(ohm)

$$dB(ohm) = 20 \log(Z_t)$$

Conductance (Gt) in dB(s) to transfer impedance, (Zt) in dB(ohms)

$$Z_t = -G_t$$

Transfer Impedance in Zt (dB(ohms)), to Conductance in Gt (dB(s))

$$G_t = -Z_t$$

Power needed for BCI Probe (50Ω), given voltage level into 50Ω load (V) and Probe Insertion Loss  $I_L$ .

$$watts = 10^{((I_L + 10 \log(V^2/50))/10)}$$

Watts needed for 150 Ohm EM Clamp

$$watts = 10^{((I_L + 10 \log(V^2/150))/10)}$$

Conducted current level using current measuring probe given probe factor in dB(ohm) and probe terminal voltage in dBuv

$$dBmA = dBmV - dB(ohm)$$

Conducted current level, given probe factor in Zt (ohms) and terminal voltage in dBuv

$$dBmA = dBmV - 20 \log(Z_t)$$

## dB calculations

$$\text{Compute db delta (volts)} \quad dB = 20 \log\left(\frac{V_1}{V_2}\right)$$

$$\text{Compute db delta (amps)} \quad dB = 20 \log\left(\frac{A_1}{A_2}\right)$$

$$\text{Compute db delta (watts)} \quad dB = 10 \log\left(\frac{W_1}{W_2}\right)$$

compute new voltage w/ db delta

$$V_{new} = 10^{\left(\frac{(dB\Delta + 20 \log(V_{given}))}{20}\right)}$$

compute new wattage w/ db delta

$$W_{new} = 10^{\left(\frac{(dB\Delta + 10 \log(W_{given}))}{10}\right)}$$

### VSWR/reflection coefficient/return loss

VSWR given Fwd/Rev Power

$$VSWR = \frac{1 + \sqrt{\frac{P_{rev}}{P_{fwd}}}}{1 - \sqrt{\frac{P_{rev}}{P_{fwd}}}}$$

VSWR given reflection coefficient

$$VSWR = \frac{1+r}{1-r}$$

Reflection coefficient,  $\rho$ , given  $Z_1/Z_2$  ohms

$$r = \left| \frac{Z_1 - Z_2}{Z_1 + Z_2} \right|$$

Reflection coefficient,  $\rho$ , given fwd/rev power

$$r = \sqrt{\frac{P_{rev}}{P_{fwd}}}$$

Return Loss, given fwd/rev power

$$RL(dB) = 10 \log \left( \frac{P_{fwd}}{P_{rev}} \right)$$

Return Loss, given VSWR

$$RL(dB) = -20 \log \left( \frac{VSWR - 1}{VSWR + 1} \right)$$

Return Loss, given reflection coefficient

$$RL(dB) = -20 \log(r)$$

Mismatch loss, given fwd/rev power

$$ML(dB) = 10 \log \left( \frac{P_{fwd}}{P_{fwd} - P_{rev}} \right)$$

Mismatch loss, given reflection coefficient

$$ML(dB) = -10 \log(1 - r^2)$$

### Misc

Linear interpolation with log of freq

$$Value = \frac{\log(F_X / F_L)}{\log(F_U / F_L)} * (X_U - X_L) + X_L$$

where       $F_L$  = lower frequency  
 $F_U$  = Upper frequency  
 $X_L$  = Value at lower frequency  
 $X_U$  = Value at upper frequency  
 $F_X$  = Frequency of desired value

TEM Cell Power Needed

$$Watts = \frac{(V * Height * 0.5)^2}{Z}$$

where       $V$  = field strength in V/m  
 $Z$  = TEM cell impedance in ohms